

# Low-Weight and Hi-End: Draft Russian Encryption Standard

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WORKSHOP ON CURRENT TRENDS IN CRYPTOLOGY  
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# Outline

- 1 Draft Russian Encryption Standard
- 2 Main Features of New Block Cipher

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## GOST 28147-89

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- modes of operation in the same standard
- cryptographic research shows **theoretical** weaknesses
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## BUT ...

- no doubt about **practical** security
- long-term thorough cryptanalysis
- extremely lightweight-friendly

# Improvement of the standard

- two standards: one for block ciphers and another for modes of operation  
(following the structure of ISO/IEC system of cryptographic standards)
- draft standard for modes of operation include ECB, CBC, CTR, OFB, CFB, CMAC.
- GOST 28147-89 algorithm with explicitly defined S-boxes (S-boxes values can be found here <http://www.tc26.ru/>)
- addition of another block cipher with 128-bit block
  - mainly software oriented
  - with as large security margin as possible
- **timeline: standard draft in 2014, acting standard in 2015**

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# Main Design Principles

- no known attacks
- only well examined constructions and transformations are used as building blocks
- the best performance and the highest security margin (something contradictory...)
- nothing extra: each transformation provides certain cryptographical properties



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We try to follow current trends in everything

- Rijndael [ˈrɛinda:l]
- Keccak [ˈkæɪtʃæk]

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so, current trend is to produce difficult to pronounce name

- Kuznyechik [ku:zn'etʃik]

meaning just 'grasshopper' in Russian

# Main Details

First presented in 2013:

<http://www.ruscrypto.ru/accotiation/archive/rc2013/>

- 256-bit key length
- SP-network (XSL-cipher)
- 8-bit S-boxes
- number of rounds is high enough to provide significant security margin
- key schedule (Feistel network): utilize same mappings as round transformation

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## Solution

- theoretical results provide a way to construct MDS mapping which can be implemented by LSFR
- less memory needed (to store & to implement)
- more flexibility in software implementations
- some results show much higher speeds
- \* thanks to Alexander Nechaev for pointing on these results

# Closer look: basic structure

- 9 rounds and final addition of whitening key
- number of rounds is 1,5 times less than for AES-256

$$E_{K_1, \dots, K_{10}} = X[K_{10}]LSX[K_9] \dots LSX[K_2]LSX[K_1],$$

$$K_i \in V_{128}, i = 1, \dots, 10$$

## Closer look: key schedule

- 32 Feistel rounds
- key schedule Feistel round and cipher round transformations are the same (round constants play role of keys)
- values of round constants depend on number of round

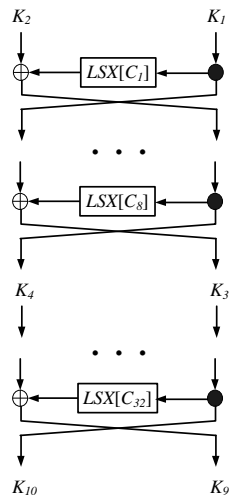
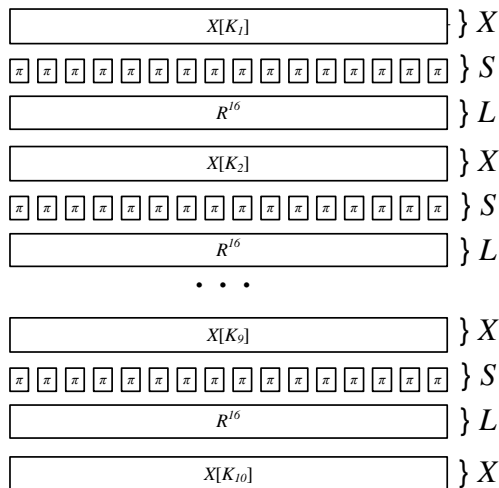
$$K \in V_{256}, (K_1, K_2) = K,$$

$$(K_{2i+1}, K_{2i+2}) = F[C_{8(i-1)+8}] \dots F[C_{8(i-1)+1}](K_{2i-1}, K_{2i}),$$

$$i = 1, \dots, 4,$$

$$F[C] : V_{128}^2 \rightarrow V_{128}^2, \quad F[C](a_1, a_0) = (LSX[C](a_1) \oplus a_0, a_1),$$

$$C_i \in V_{128}, C_i = L([i]_2), \quad i = 1, \dots, 32$$





## Closer look: nonlinear mapping

- equal 8-bit S-boxes
- same as in GOST R 34.11-2012

$$S(\mathbf{a}) = S(\mathbf{a}_{15} \parallel \dots \parallel \mathbf{a}_0) = \pi(\mathbf{a}_{15}) \parallel \dots \parallel \pi(\mathbf{a}_0),$$

where  $\mathbf{a} = \mathbf{a}_{15} \parallel \dots \parallel \mathbf{a}_0 \in V_{128}$ ,  $\mathbf{a}_i \in V_8$ ,  $i = 0, \dots, 15$

$$\pi : V_8 \rightarrow V_8$$

## Closer look: linear mapping

- implemented by LSFR
- coefficients of corresponding linear polynomial have minimum possible binary weight

$$L : V_{128} \rightarrow V_{128}, \quad L(a) = R^{16}(a)$$

$$R : V_{128} \rightarrow V_{128},$$

$$R(a) = R(a_{15} \| \dots \| a_0) = l(a_{15}, \dots, a_0) \| a_{15} \| \dots \| a_1,$$

where  $a = a_{15} \| \dots \| a_0 \in V_{128}$ ,  $a_i \in V_8$ ,  $i = 0, \dots, 15$

$l : V_8^{16} \rightarrow V_8$  – linear, could be implemented by 16 multiplications by constants in field  $GF(2^8)$

P.S.

Thanks to all fellows who were and will be involved in the development process

Thank you for your attention

Questions?